

Btus/Hr and the 1.08 & 4.5 constants

These Constants in HVAC calculations vary as air density varies with altitude

q ... BTUs/Hr in a stream (cu ft/min) of air

$$q = \text{mass flow (lb/hr)} \times \text{specific heat (btu/lb/deg)} \times \Delta T$$

in order to convert from mass flow to cfm you need to multiply by density and by 60 mins/hr.

$$\text{so... } q = \text{volumetric flow (cubic feet/min)} \times 60 \text{ (mins/hr)} \times 0.075 \text{ lb/cubic foot} \times 0.24 \text{ (btu/lb)} \times \Delta T$$

$$\text{so... from above... } 60 \text{ mins/hr} \times 0.075 \text{ lb/cubic foot} \times 0.24 \text{ (btu/lb)} = 1.08$$

or

$$\text{at 5,500 ft altitude the "1.08" constant becomes } 60 \text{ mins/hr} \times 0.0613 \text{ lb/cubic foot} \times 0.24 \text{ (btu/lb)} = 0.88$$

therefore...

$$q \text{ at sea level} = 1.08 \times \text{CFM} \times \Delta T$$

$$q \text{ at 5,500 ft alt} = 0.88 \times \text{CFM} \times \Delta T$$

Δq ... BTUs/Hr added or removed from a stream (cu ft/min) of air

$$q \text{ (btu/hr)} = \text{mass flow (lb/hr)} \times \text{enthalpy change (btu/lb)}$$

$$\text{mass flow (lb/hr)} = \text{volume flow (cf/hr)} \times \text{density (lb/cf)}$$

60 mins = 1 hour

air density at standard conditions = 0.075 lb/cf (see graph below)

so...

$$q \text{ (btu/hr)} = \text{volume flow (cf/min)} \times 60 \text{ (min/hr)} \times 0.075 \text{ (lb/cf)} \times \text{enthalpy change}$$

$$\text{so... from above } 60 \text{ (min/hr)} \times 0.075 \text{ (lb/cf)} = 4.5 \text{ at sea level}$$

or

$$\text{at 5,500 ft alt the "4.5" constant becomes } 60 \text{ (min/hr)} \times 0.0613 \text{ (lb/cf)} = 3.68$$

therefore...

$$\Delta q \text{ at sea level} = 4.5 \times \text{CFM} \times \text{enthalpy change}$$

$$\Delta q \text{ at 5,500 ft alt} = 3.68 \times \text{CFM} \times \text{enthalpy change}$$

(Altitude, moisture content, and temperature will all affect the 4.5 constant because they all affect density.)

